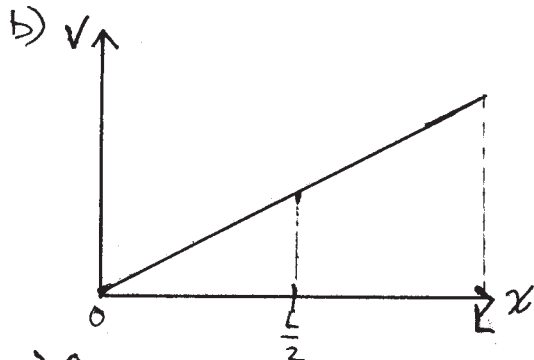
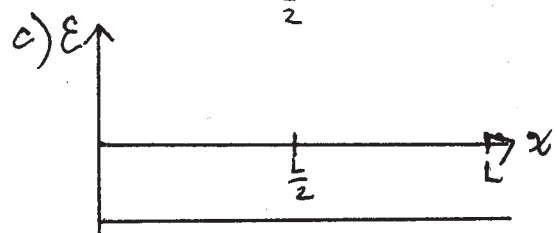


ECE113A: Section A  
 Homework #3  
 Solutions & Grading Criteria

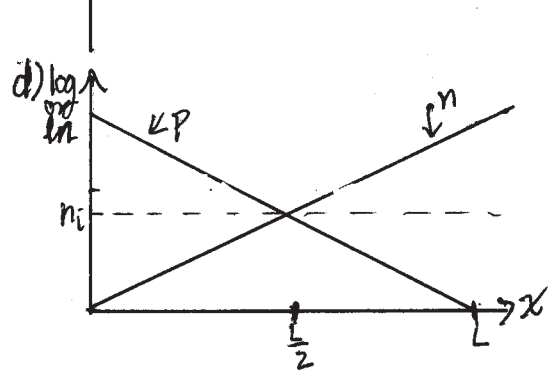
1) a) Yes since  $E_F$  remains constant relative to position.  
 ↳ must mention  $E_F$  being constant to receive 5 pts



5pts as long as it is linear with a positive slope

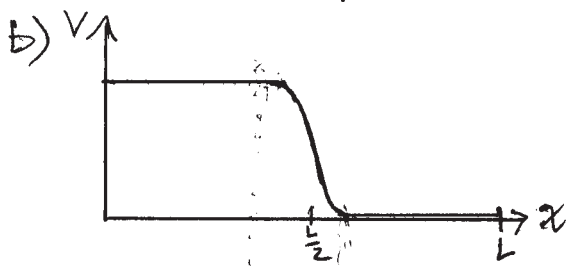


5pts if constant and negative

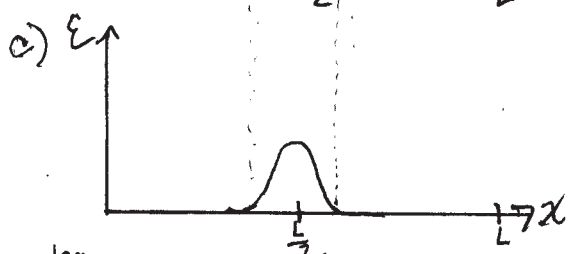


2pts for n: middle of curve should cross  $n_i$  at  $\frac{L}{2}$ .  
 3pts for n: must have positive slope  
 2pts for p: middle of curve should cross  $n_i$  at  $\frac{L}{2}$ .  
 3pts for p: must have negative slope  
 \*no credit if not in log or ln scale

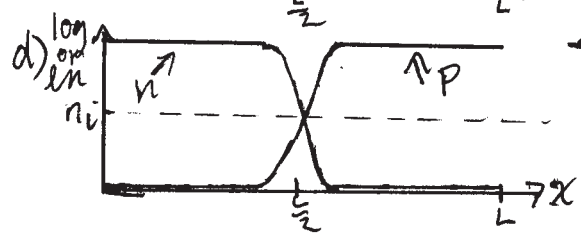
2) a) Yes since  $E_F$  remains constant relative to position.  
 ↳ same criteria as 1a)



5pts: must have correct shape

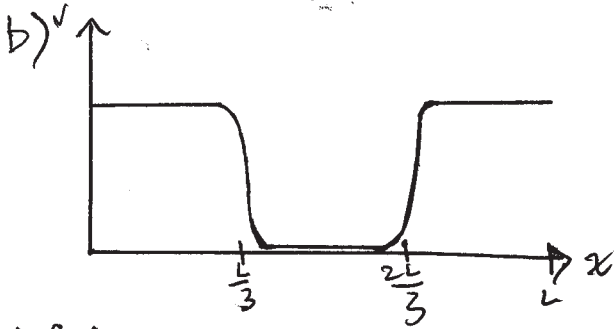


5pts: correct shape and should be approximate width of change seen in V curve

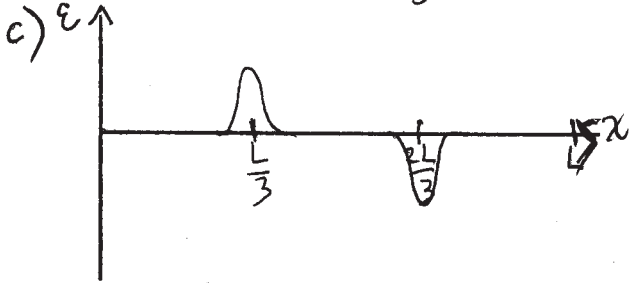


3pts for n: have correct shape  
 3pts for p: have correct shape  
 2pts for n: middle of curve should cross  $n_i$  at  $\frac{L}{2}$   
 2pts for p: middle of curve should cross  $n_i$  at  $\frac{L}{2}$   
 \*no credit if not in log or ln scale

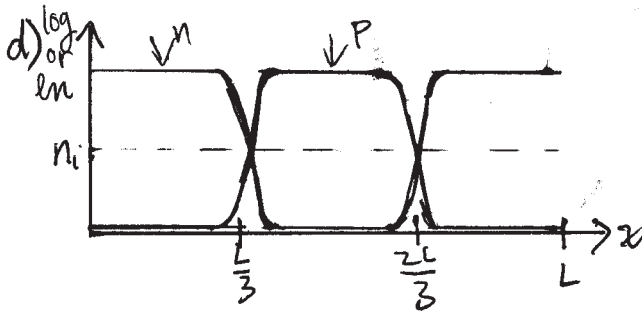
3) a) Yes since  $E_F$  remains constant relative to position  
 ↳ same criteria as 1a)



Spts for shape



Spts: must have correct positive and negative positions & widths of  $E$  curves should be approximately equal to widths of change seen in  $V$  curve



2 pts for n: must cross p curve at  $L/3$  &  $2L/3$   
 2 pts for p: must cross n curve at  $L/3$  &  $2L/3$   
 3 pts for n: correct shape  
 3 pts for p: correct shape  
 \* no credit if not in log or ln scale

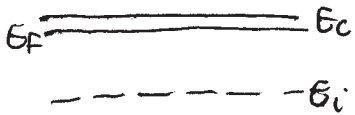
4)  $N_c = (2.51 \times 10^{19} / \text{cm}^3) (m_n^* / m_0)^{3/2} = 2.51 \times 10^{19} / \text{cm}^3 (1.18)^{3/2} = 3.217 \times 10^{19} / \text{cm}^3$   
 $N_v = (2.51 \times 10^{19} / \text{cm}^3) (m_p^* / m_0)^{3/2} = 2.51 \times 10^{19} / \text{cm}^3 (.81)^{3/2} = 1.830 \times 10^{19} / \text{cm}^3$

$E_c - E_F = -kT \ln \frac{n}{N_c}$

$E_v - E_F = kT \ln \frac{p}{N_v} = (E_c - E_F) - E_G$

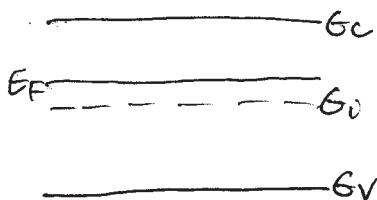
↳  $E_c - E_F = E_G + kT \ln \frac{p}{N_v}$

a)  $E_c - E_F = -(0.0259 \text{ eV}) \ln \left( \frac{10^{17}}{3.217 \times 10^{19}} \right) = \boxed{0.14 - 0.15 \text{ eV}}$  3pts



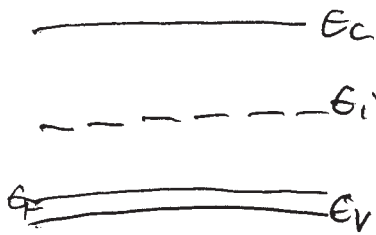
2pts:  $E_F$  must be closer to  $E_c$  than  $E_i$

b)  $E_c - E_F = -(0.0259 \text{ eV}) \ln \left( \frac{10^{15}}{3.217 \times 10^{19}} \right) = \boxed{0.26 - 0.27 \text{ eV}}$  3pts



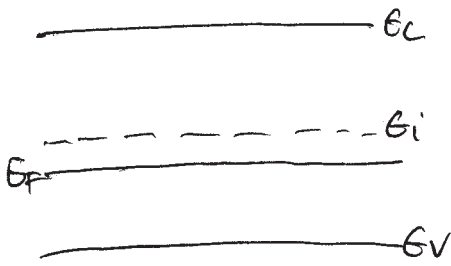
2pts:  $E_F$  must be closer to  $E_i$  than  $E_c$

$$c) E_c - E_F = 1.12 \text{ eV} + (0.0259 \text{ eV}) \ln \left( \frac{5 \times 10^{17}}{1.8297 \times 10^{19}} \right) = \boxed{1.0 - 1.1 \text{ eV}} \quad 3 \text{ pts}$$



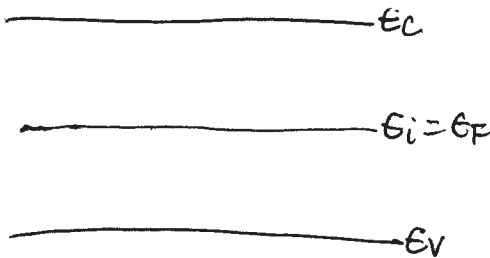
2 pts:  $E_F$  must be closer to  $E_i$  than  $E_v$

$$d) E_c - E_F = 1.12 \text{ eV} + (0.0259 \text{ eV}) \ln \left( \frac{10^{14}}{1.8297 \times 10^{19}} \right) = \boxed{.80 - .81 \text{ eV}} \quad 3 \text{ pts}$$



2 pts:  $E_F$  must be closer to  $E_i$  than  $E_v$

$$e) E_c - E_F = -kT \ln \frac{n}{N_c} = -kT \ln \frac{n_i}{N_c} = -(0.0259 \text{ eV}) \ln \left( \frac{10^{10}}{3.217 \times 10^{19}} \right) = \boxed{.565 - .570 \text{ eV}} \quad 3 \text{ pts}$$



2 pts: approximately in the middle, but should be slightly closer to  $E_v$  (do not mark off if in center)