Problem 1:

A) A linear two-terminal circuit can be replaced by an equivalent circuit consisting of a voltage source V_{Th} in series with a resistor R_{Th} , where V_{Th} is the open-circuit voltage at the terminals and R_{Th} is the input or equivalent resistance at the terminals when the independent sources are turned off.

B) A linear two-terminal circuit can be replaced by an equivalent circuit consisting of a current source I_N in parallel with a resistor R_N , where I_N is the sort-circuit current through the terminals and R_N is the input or equivalent resistance at the terminals when the terminals when the independent sources are turned off.

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Grading criteria: 3 pts for equivalent circuit with a resistor and a source
5 pts for mentioning R_{Th} and V_{Th} in series
5 pts for mentioning R_{N} and I_{N} in parallel
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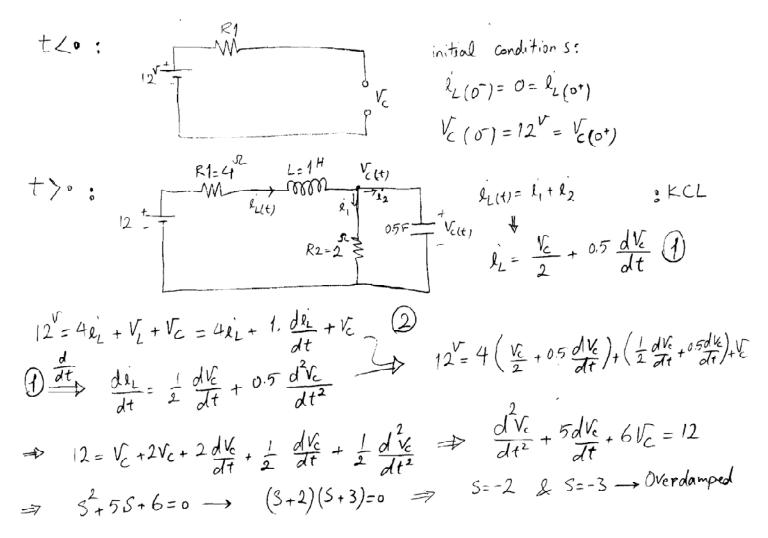
Problem 2:

Complete response = transient response + steady-state response

A complete response consists of a transient response (temporary response) and a steady-state response (permanent response). The transient response is the circuit's temporary response that will die out with time. And the steady-state response is the behavior of the circuit a long time after an external excitation is applied.

Grading criteria: 5 pts for mentioning transient and steady-state responses for the complete response 5 pts for temporary responses for the transient response

Problem 3:



Grading criteria:

Initial conditions 4pts.

Writing correct KCL/KVL leading to correct second order equation and correct characteristic equation 6pts (defining the Overdamped case 2pts).

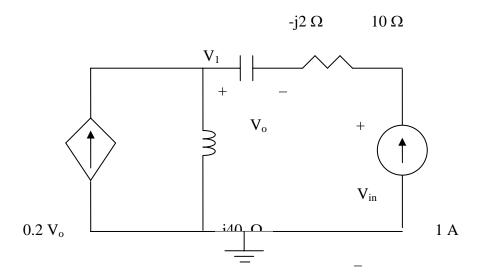
Finding Vc(t) 5pts.

Finding $i_L(t)$ 5pts.

Any attempt 3pts.

Problem 4:

Insert a 1-A current source at the output as shown below.



$$0.2 v_{o} + 1 = \frac{v_{1}}{j40}$$

But $v_{o} = -1(-j2) = j2$
 $j2x0.2 + 1 = \frac{v_{1}}{j40} \longrightarrow v_{1} = -16 + j40$

$$V_{in} = V_1 - V_o + 10 = -6 + j38 = 1 x Z_{in}$$

$$Z_{in} = -6 + j38 \Omega$$

Grading criteria:

Adding 1A soure 2pts,

Finding Vo 4pts, KCL at the node (or KVL at loop) 5pts,

Finding Vin 5pts,

Mentioning Zin = Vin/1A and find Zin 4pts.

Writing everything up to end of nodal without solving it 15 pts,

Any wrong attempt 3points

Problem 5:

Consider the circuit in the frequency domain as shown below.

Let
$$\mathbf{Z} = (\mathbf{R}_2 + j\omega \mathbf{L}) \parallel \frac{1}{j\omega \mathbf{C}}$$

 $\mathbf{Z} = \frac{\frac{1}{j\omega \mathbf{C}} (\mathbf{R}_2 + j\omega \mathbf{L})}{\mathbf{R}_2 + j\omega \mathbf{L} + \frac{1}{j\omega \mathbf{C}}} = \frac{\mathbf{R}_2 + j\omega \mathbf{L}}{1 + j\omega \mathbf{R}_2 - \omega^2 \mathbf{L} \mathbf{C}}$

$$\frac{\mathbf{V}_{o}}{\mathbf{V}_{s}} = \frac{\mathbf{Z}}{\mathbf{Z} + \mathbf{R}_{1}} = \frac{\frac{\mathbf{R}_{2} + j\omega \mathbf{L}}{1 - \omega^{2}\mathbf{L}\mathbf{C} + j\omega\mathbf{R}_{2}\mathbf{C}}}{\mathbf{R}_{1} + \frac{\mathbf{R}_{2} + j\omega\mathbf{L}}{1 - \omega^{2}\mathbf{L}\mathbf{C} + j\omega\mathbf{R}_{2}\mathbf{C}}}$$
$$\frac{\mathbf{V}_{o}}{\mathbf{V}_{s}} = \frac{\mathbf{R}_{2} + j\omega\mathbf{L}}{\mathbf{R}_{1} + \mathbf{R}_{2} - \omega^{2}\mathbf{L}\mathbf{C}\mathbf{R}_{1} + j\omega(\mathbf{L} + \mathbf{R}_{1}\mathbf{R}_{2}\mathbf{C})}$$

Grading criteria:

Finding Z or writing related nodal 10 pts.

Writing correct voltage divider or solving the nodal correctly and find H(w) 10pts.

Any attempt 5 pts.

Problem 6:

$$\frac{V-V_s}{R} + \frac{V}{j\omega L + \frac{1}{j\omega C}} + j\omega CV = 0$$

$$V + \frac{j\omega RCV}{-\omega^2 LC + 1} + j\omega RCV = V_s$$

$$\left(\frac{1 - \omega^{2}LC + j\omega RC + j\omega RC - j\omega^{3}RLC^{2}}{1 - \omega^{2}LC}\right)V = V_{s}$$

$$V = \frac{(1 - \omega^2 LC)V_s}{1 - \omega^2 LC + j\omega RC(2 - \omega^2 LC)}$$

Grading criteria:

Writing correct nodal 10pts.

Arranging the nodal in regards to V and Vs 5pts.

Solving the equations and find V correctly 5pts.

Any attempt 5pts.