# EECS70A / CSE 70A Network Analysis I <br> Prof. Peter Burke 

Homework \# 2 solution

## Chapter 2, Solution 1.

$\mathrm{v}=\mathrm{iR} \quad \mathrm{i}=\mathrm{v} / \mathrm{R}=(16 / 5) \mathrm{mA}=\underline{3.2} \mathbf{~ m A}$

## Chapter 2, Solution 3.

For silicon, $\quad \rho=6.4 \times 10^{2} \Omega-\mathrm{m} . \quad A=\pi r^{2}$. Hence,

$$
R=\frac{\rho L}{A}=\frac{\rho L}{\pi r^{2}} \quad \longrightarrow \quad r^{2}=\frac{\rho L}{\pi R}=\frac{6.4 \times 10^{2} \times 4 \times 10^{-2}}{\pi \times 240}=0.033953
$$

$$
\mathrm{r}=\underline{\mathbf{0} .1843 \mathrm{~m}}
$$

## Chapter 2, Solution 5.

$$
\mathrm{n}=9 ; \quad l=7 ; \quad \mathbf{b}=\mathrm{n}+l-1=\underline{\mathbf{1 5}}
$$

Note: The loop should not have any internal loop and should be independent. From the figure of circuit, we need to count on only independent closed loops.

## Chapter 2, Solution 9.

At A, $2+12=i_{1} \longrightarrow \quad i_{1}=\underline{14 \mathrm{~A}}$
At B, $\quad 12=i_{2}+14 \longrightarrow \quad i_{2}=\underline{-2 \mathrm{~A}}$
At C, $\quad 14=4+i_{3} \quad \longrightarrow \quad i_{3}=\underline{10 \mathrm{~A}}$

## Chapter 2, Solution 12.



$$
\begin{aligned}
& \text { For loop 1, } \quad-20-25+10+\mathbf{v}_{1}=0 \longrightarrow \underline{\mathbf{v}}_{1}=\mathbf{3 5 v} \\
& \text { For loop 2, } \quad-10+15-\mathbf{v}_{2}=0 \longrightarrow \quad \underline{\mathbf{v}}_{2}=\mathbf{5} \mathbf{v} \\
& \text { For loop 3, } \quad-v_{1}+v_{2}+v_{3}=0 \longrightarrow \quad \underline{v}_{3}=30 \mathrm{v}
\end{aligned}
$$

## Chapter 2, Solution 18.

Applying KVL,

$$
\begin{aligned}
& -30-10+8+\mathrm{I}(3+5)=0 \\
& 8 \mathrm{I}=32 \longrightarrow \\
& -\mathrm{V}_{\mathrm{ab}}+5 \mathrm{I}+8=0 \longrightarrow \\
& \mathrm{I}=\underline{\mathbf{4 A}} \quad \\
& \mathrm{V}_{\mathrm{ab}}=\underline{\mathbf{2 8 V} \mathbf{V}}
\end{aligned}
$$

## Chapter 2, Solution 43.

(a) $\mathrm{R}_{\mathrm{ab}}=5\|20+10\| 40=\frac{5 \times 20}{25}+\frac{400}{50}=4+8=\underline{\mathbf{1 2} \Omega}$
(b) $60|20| 30=\left(\frac{1}{60}+\frac{1}{20}+\frac{1}{30}\right)^{-1}=\frac{60}{6}=10 \Omega$

$$
\mathrm{R}_{\mathrm{ab}}=80 \|(10+10)=\frac{80+20}{100}=\underline{\mathbf{1 6} \Omega}
$$

## Chapter 2, Solution 45.

(a) $10 / / 40=8, \quad 20 / / 30=12, \quad 8 / / 12=4.8$

$$
R_{a b}=5+50+4.8=\underline{59.8 \Omega}
$$

(b) 12 and 60 ohm resistors are in parallel. Hence, $12 / / 60=10$ ohm. This 10 ohm
and 20 ohm are in series to give 30 ohm. This is in parallel with 30 ohm to give $30 / / 30=15$ ohm. And $25 / /(15+10)=12.5$. Thus
$R_{a b}=5+12.8+15=\underline{32.5 \Omega}$

