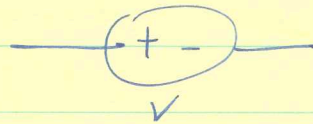


So Far we have the following
"circuit elements"

Resistor



Voltage source

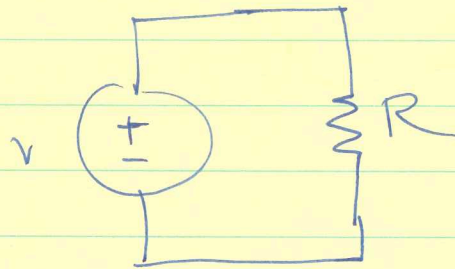


Current source

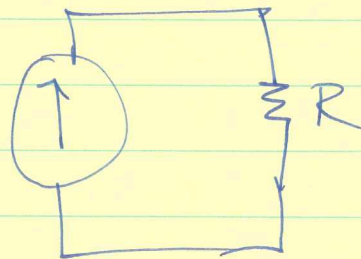


We can connect these together to make a
circuit.

E.g.

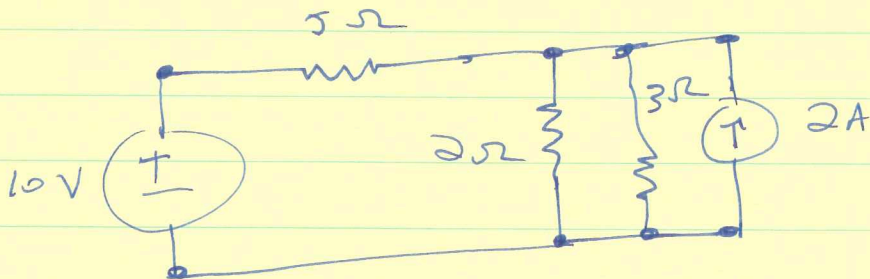


OR




Goal : Find I, V everywhere .

More complex example



just means wires connected

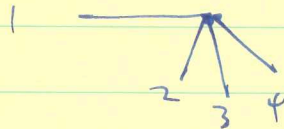
Same as 

$V =$ same along wires (ideal metals)
Called node.

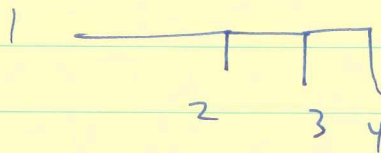
So



Same as

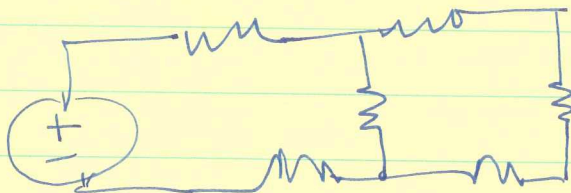


Same as

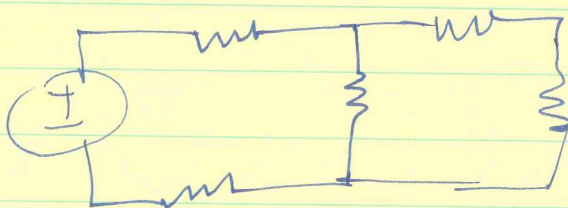


Loop is any closed path in a circuit.

Example how many nodes

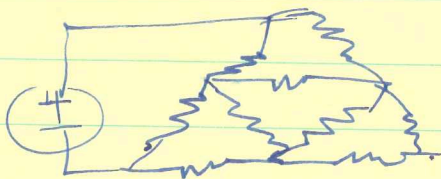


2nd example



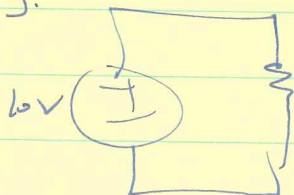
Want to know I, v everywhere in circuit.
 Need to know V at each node only.
 (Halfway there.)

e.g.,



How many nodes?

e.g.



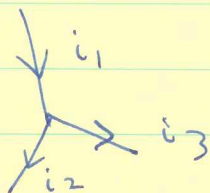
how many nodes?
 easy 2 know $V_{ab} = 6V$

KCL

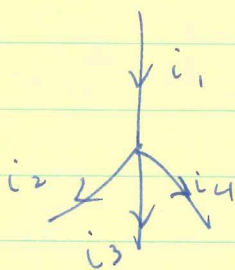
algebraic sum of currents entering a node is zero.

$$\sum_{n=1}^N i_n = 0$$

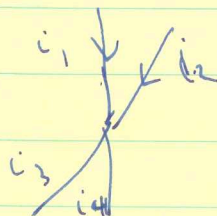
enter node : positive
leave node : negative



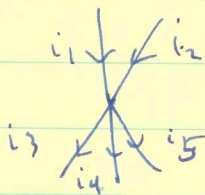
$$i_1 = i_2 + i_3$$



$$i_1 = i_2 + i_3 + i_4$$



$$i_1 + i_2 = i_3 + i_4$$



$$i_1 + i_2 = i_3 + i_4 + i_5$$

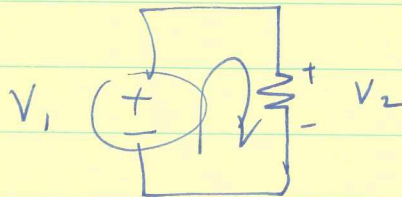
Very useful
Very intuitive.

KVL

algebraic sum of all voltages around a closed loop = 0.

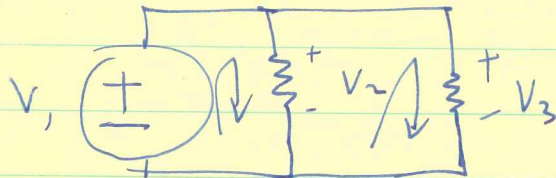
$$\sum_{m=1}^M v_m = 0$$

e.g.

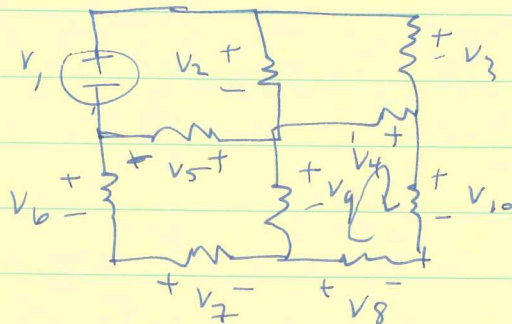


$$-V_1 + V_2 = 0$$

e.g.



$$\begin{aligned} -V_1 + V_2 &= 0 \\ -V_2 + V_3 &= 0 \end{aligned}$$



Pick a loop apply KVL.

$$-V_8 - V_9 - V_4 + V_{10} = 0$$

etc.

stop here