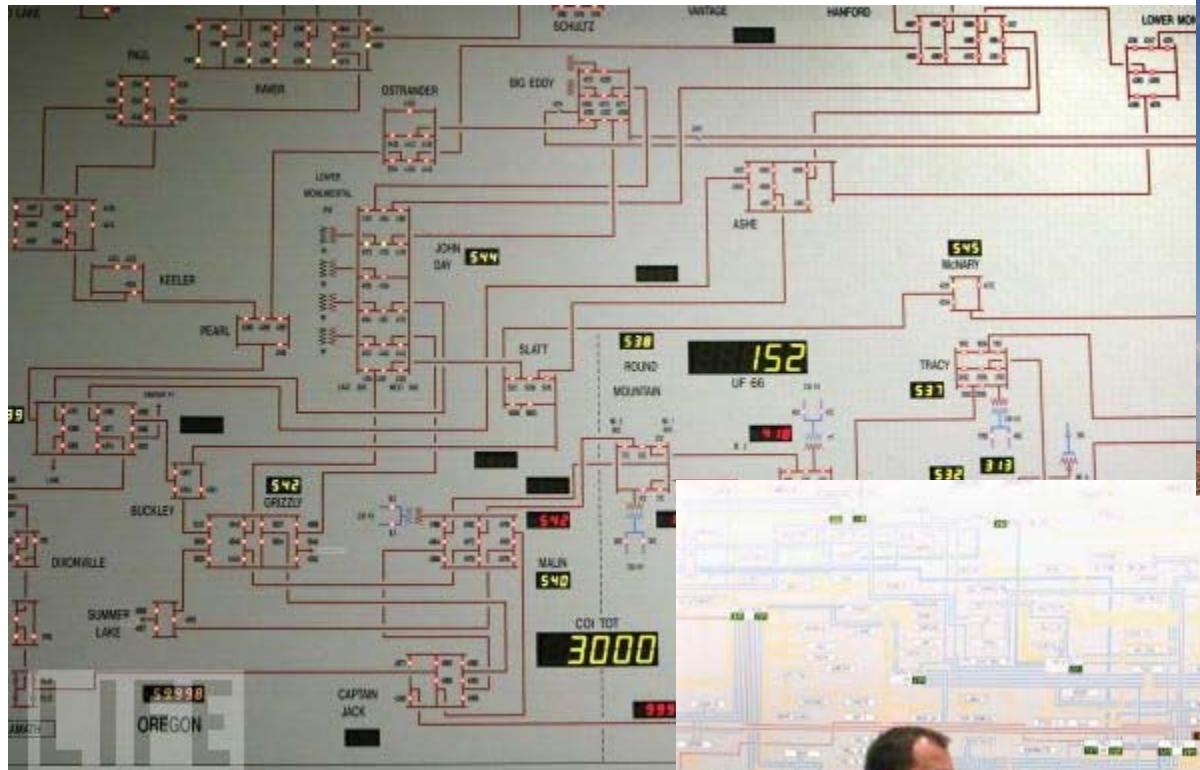
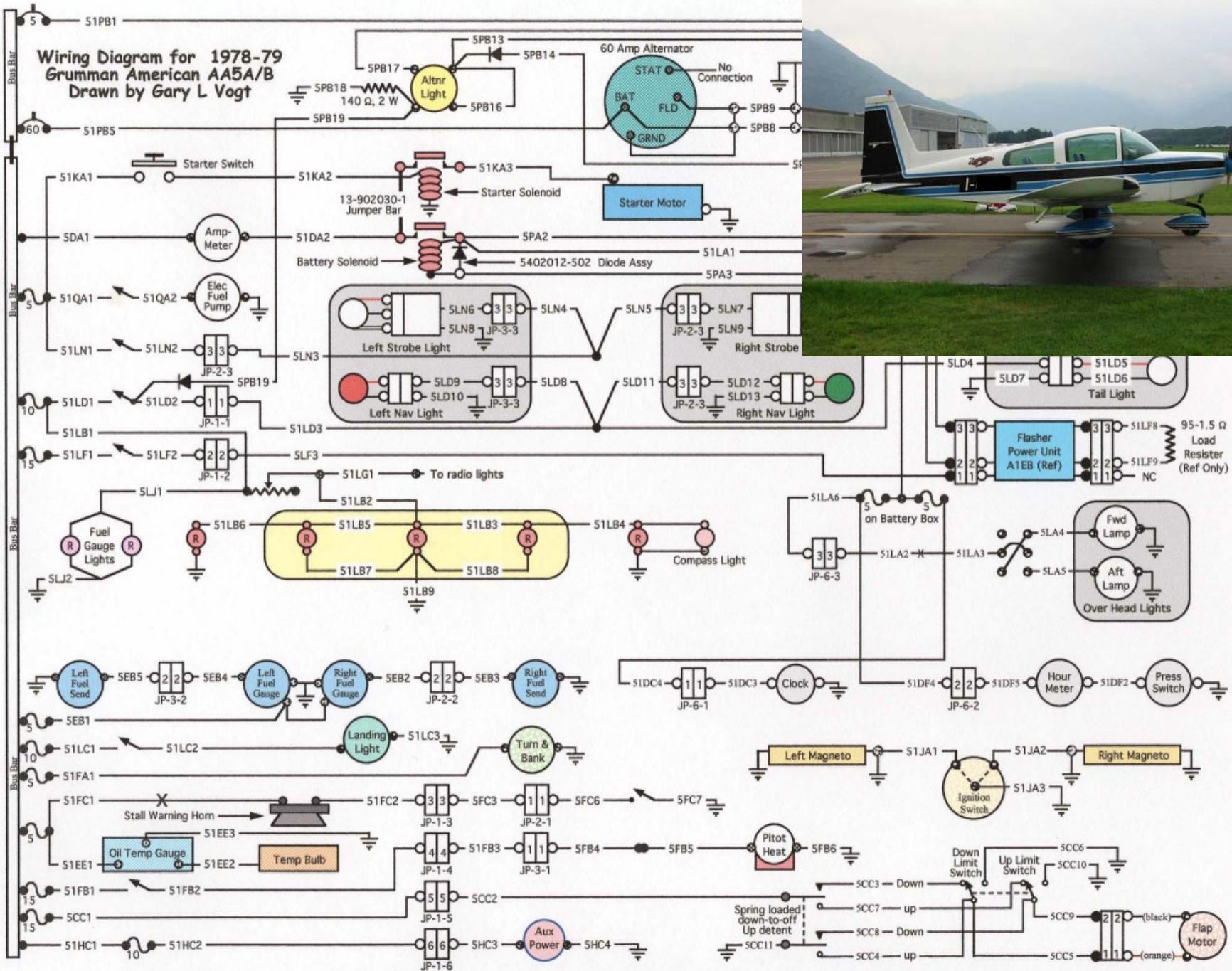


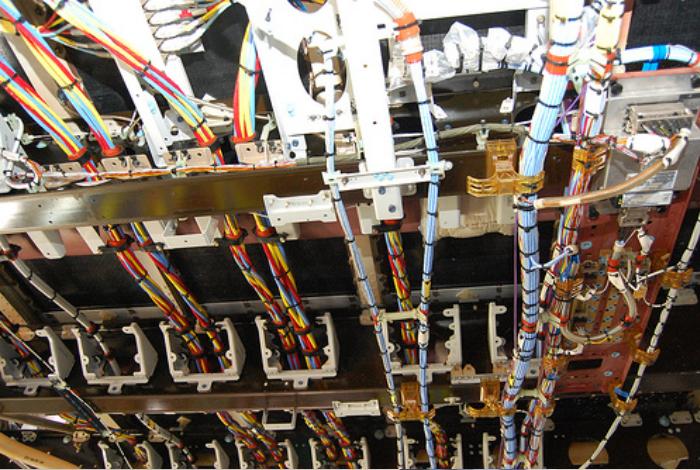
Announcements:  
1. Announcements

# EECS 70A: Network Analysis

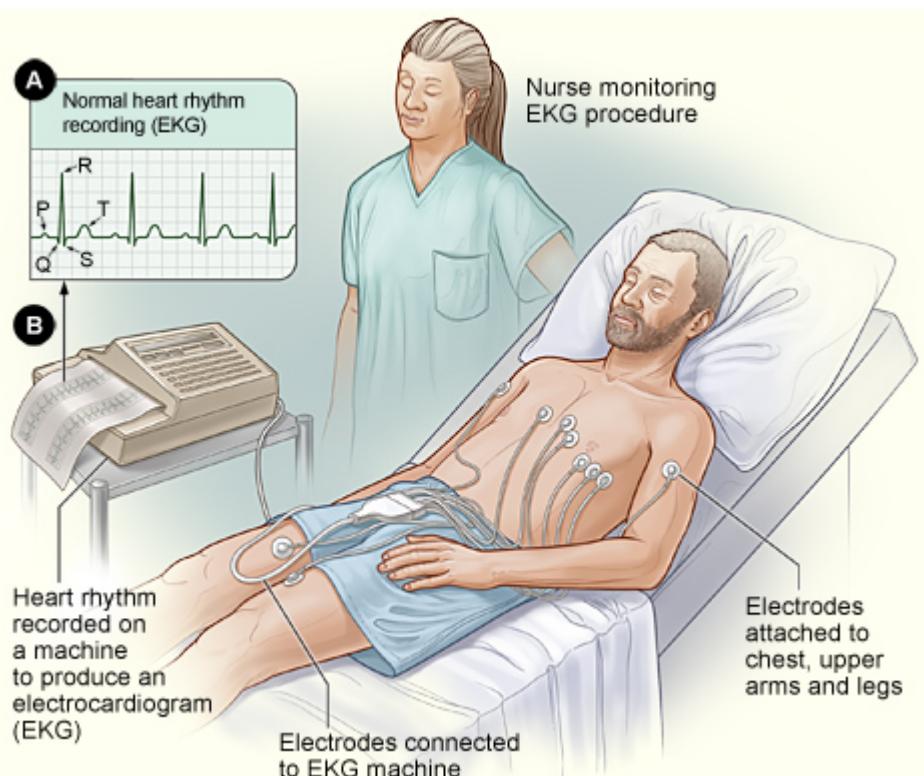
## Lecture 5

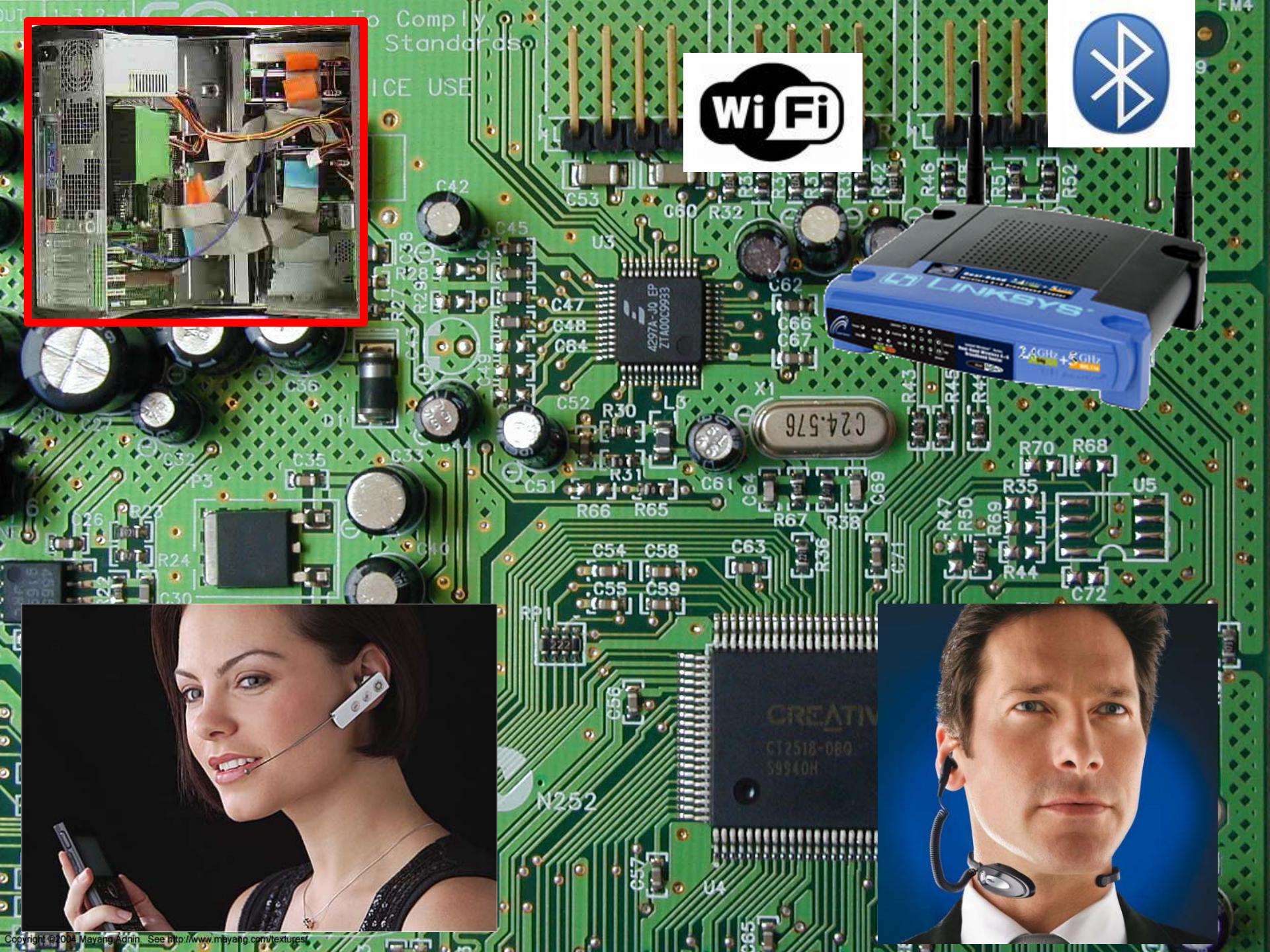


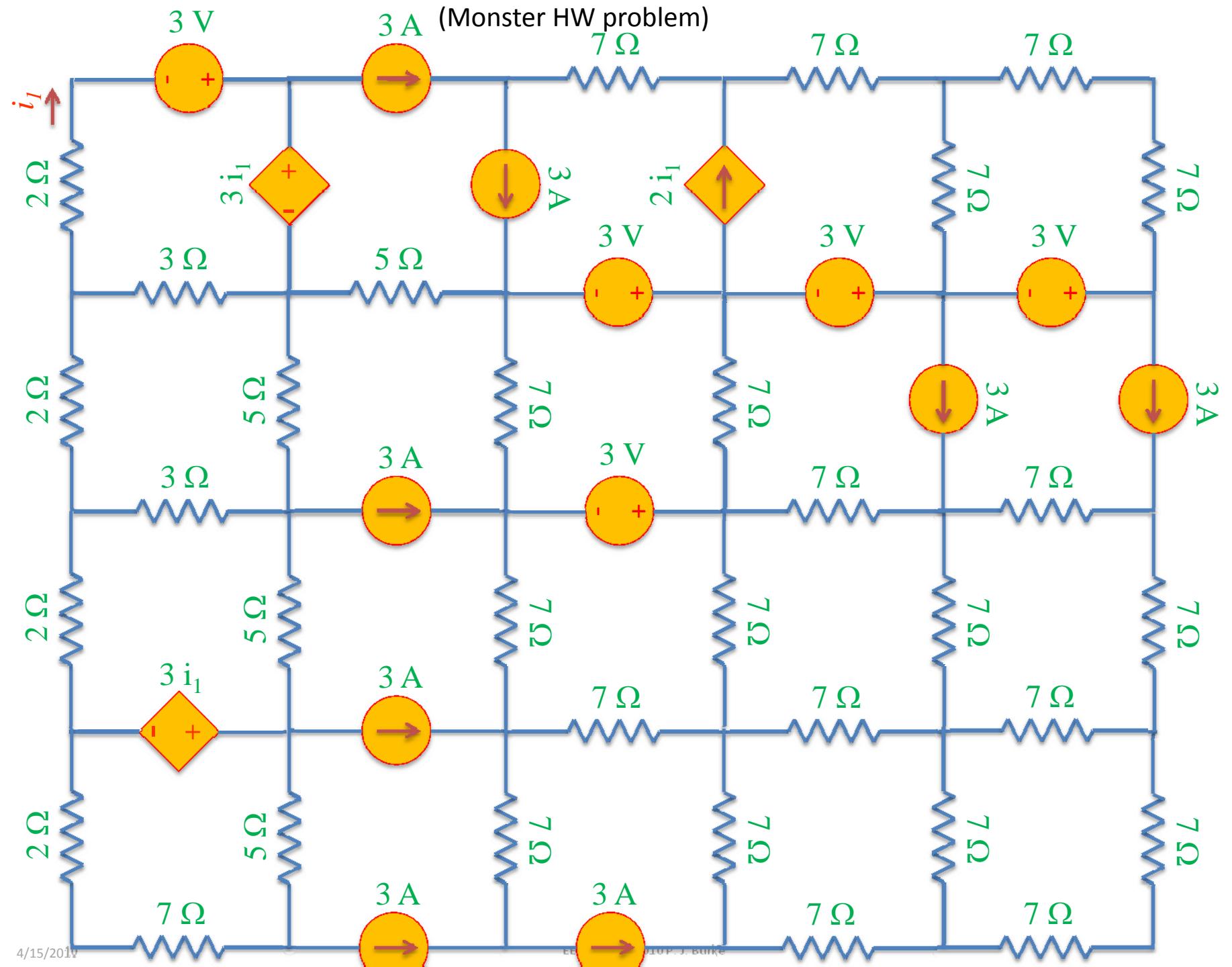


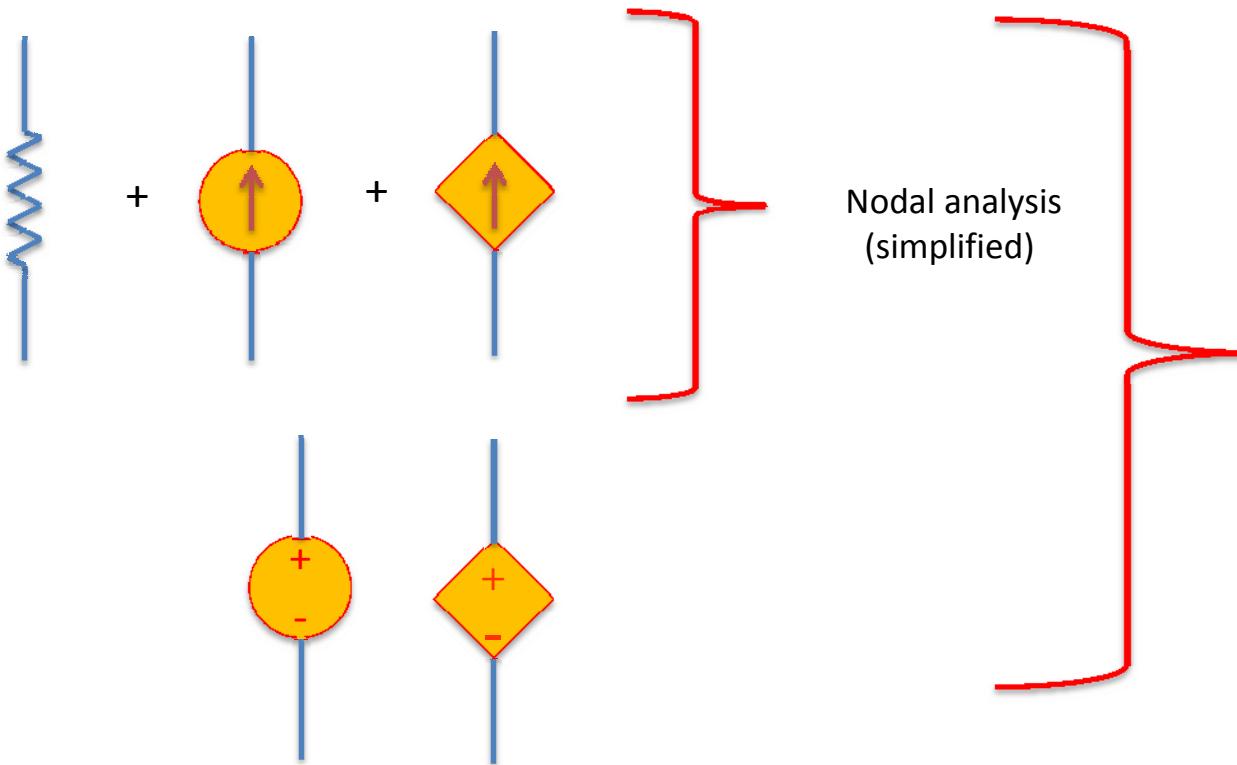


AIRLINERS.NET

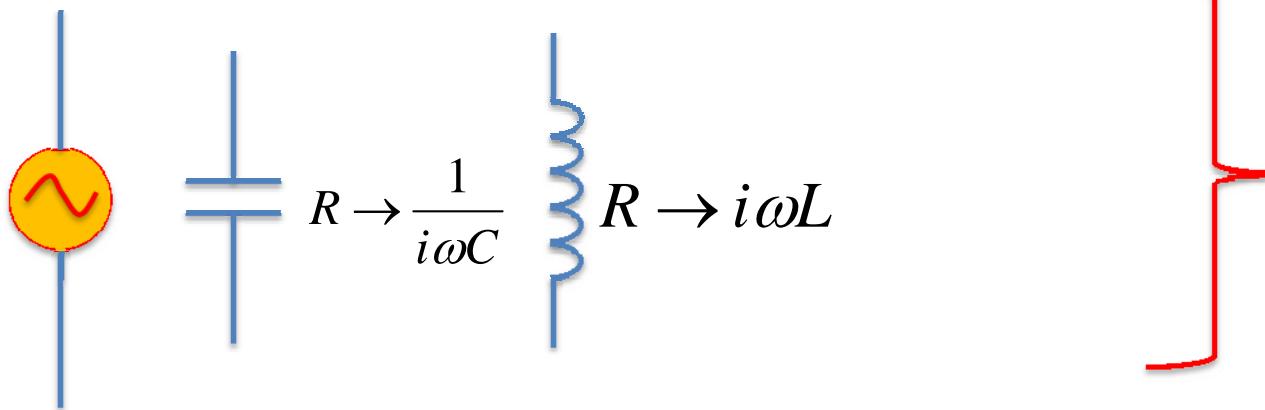


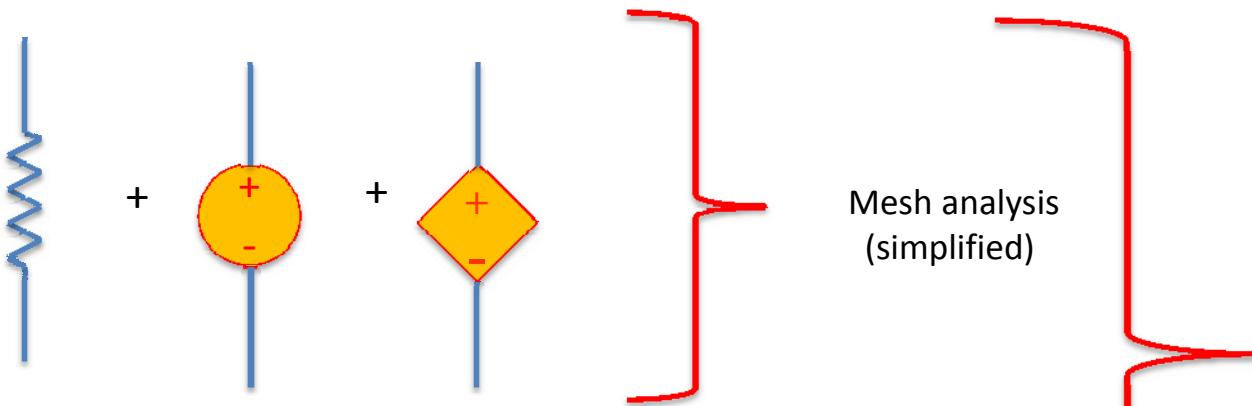




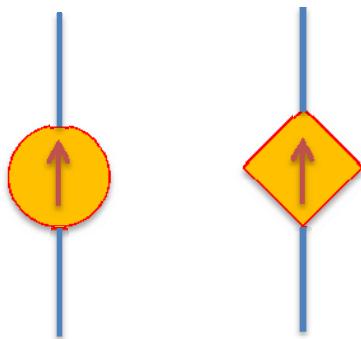


Later in course:





Mesh analysis  
(complete)



# Diode



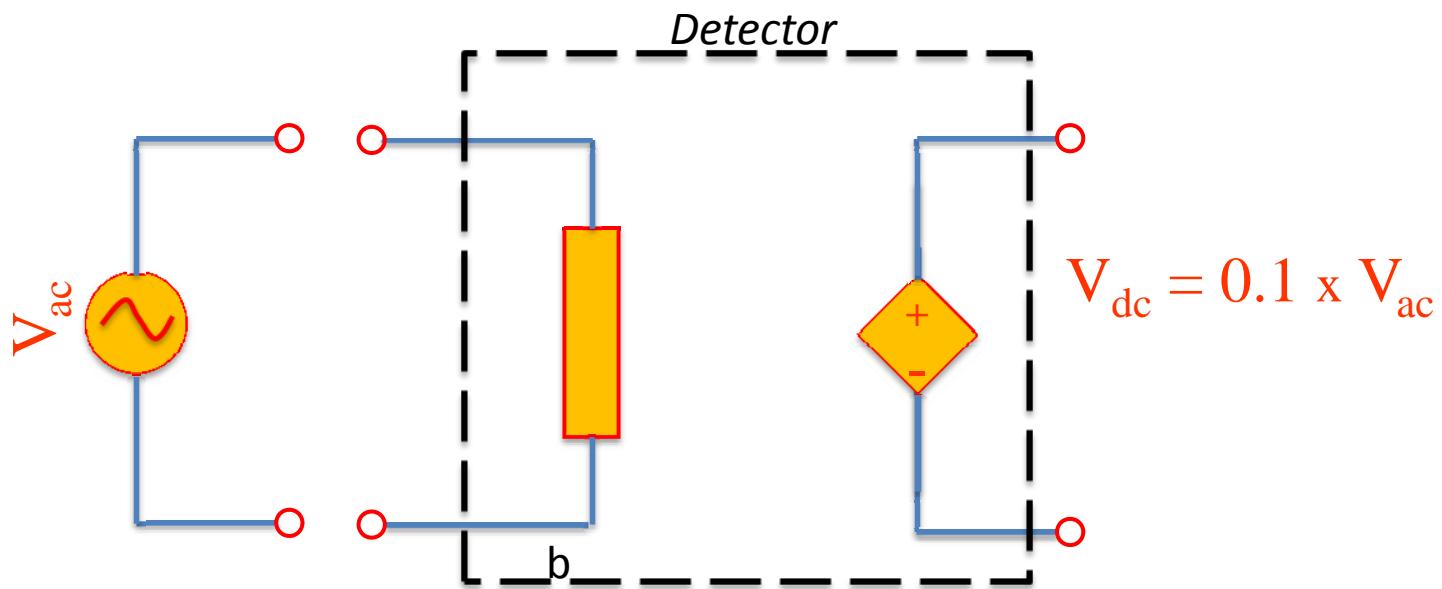
$$I = I_0 \left( e^{qV/kT} - 1 \right)$$

Nodal/mesh analysis won't work on this but...

Solar cell is a diode.  
Behaves like:

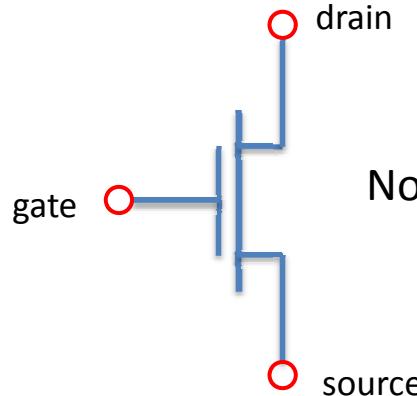


Radio wave detector is a diode.  
Behaves like:



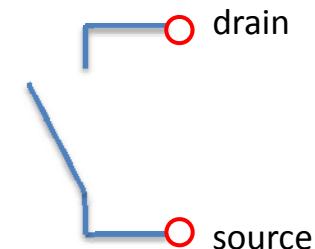
*Nodal/mesh analysis works on these equivalent circuits!*

# Transistors



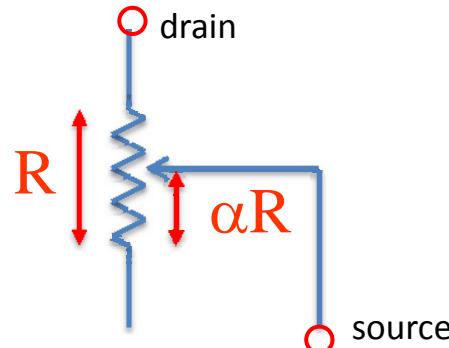
Nodal/mesh analysis won't work on this but...

In some cases behaves  
like *switch*:

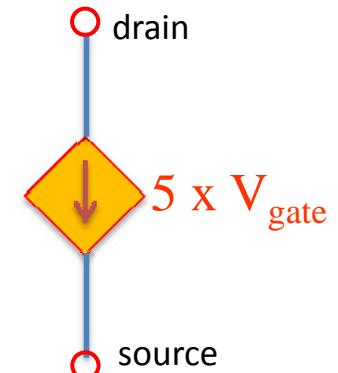


$V_{gate}$	Switch
+ 5 V	Open
0 V	Closed

In some cases behaves  
like *potentiometer*:



In some cases behaves  
like *VCCS*:



$$R_{sd} = (\text{constant}) \times V_{gate}$$

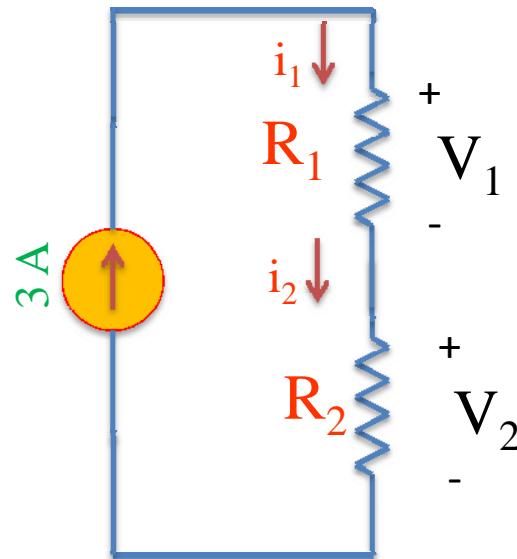
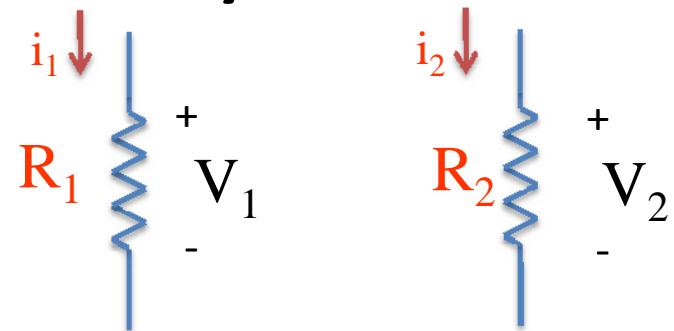
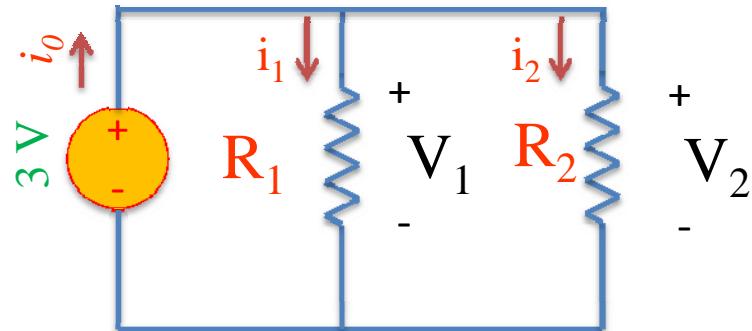
Nodal/mesh analysis works on these equivalent circuits!

# Nodal vs. mesh analysis

Consider 2 examples, each with 2 resistors.

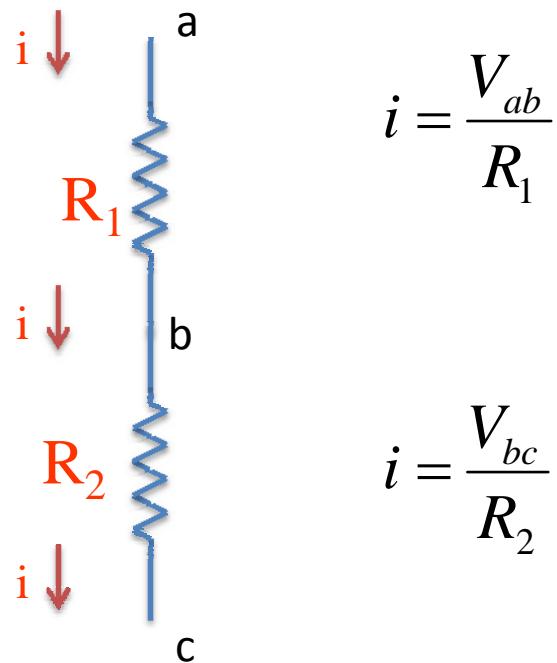
For both problems, find  $i_1$ ,  $i_2$ ,  $V_1$ ,  $V_2$ .

Is it easier to solve for the currents or the voltages first?



# Notation: two elements in series

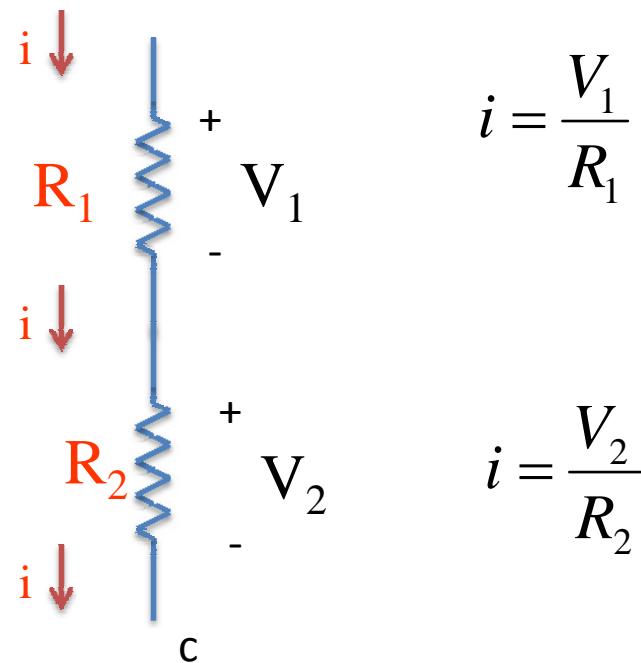
Textbook chapter 2 notation:



$$i = \frac{V_{ab}}{R_1}$$

$$i = \frac{V_{bc}}{R_2}$$

$V_{ab}$  is the voltage drop  
across resistor 1



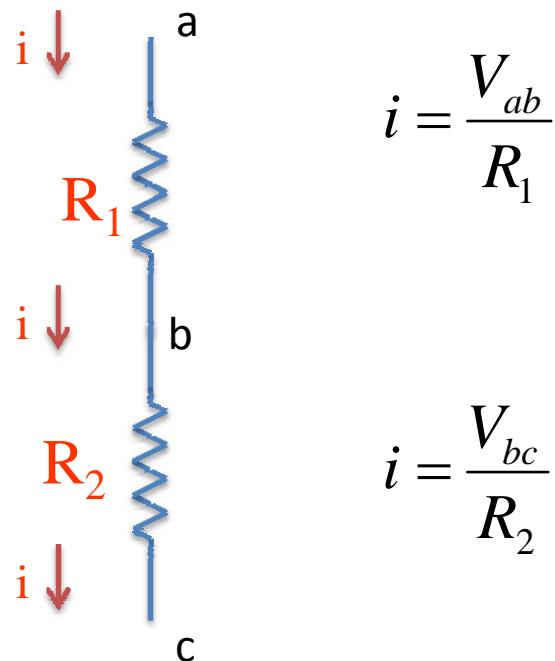
$$i = \frac{V_1}{R_1}$$

$$i = \frac{V_2}{R_2}$$

$V_1$  is the voltage drop  
across resistor 1

# Nodal analysis

1. Define a reference node.
2. Label remaining nodes

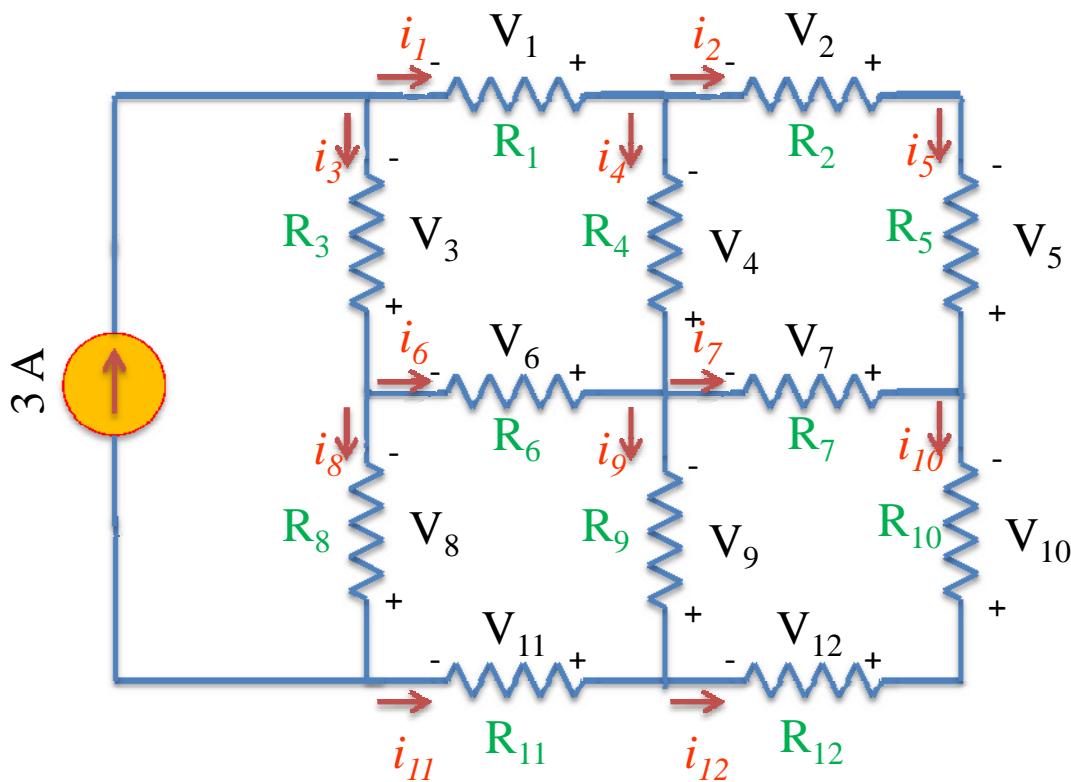


$$i = \frac{V_{ab}}{R_1}$$

$$i = \frac{V_{bc}}{R_2}$$

$V_{ab}$  is the voltage drop  
across resistor 1

# Example (Ch. 2 notation)

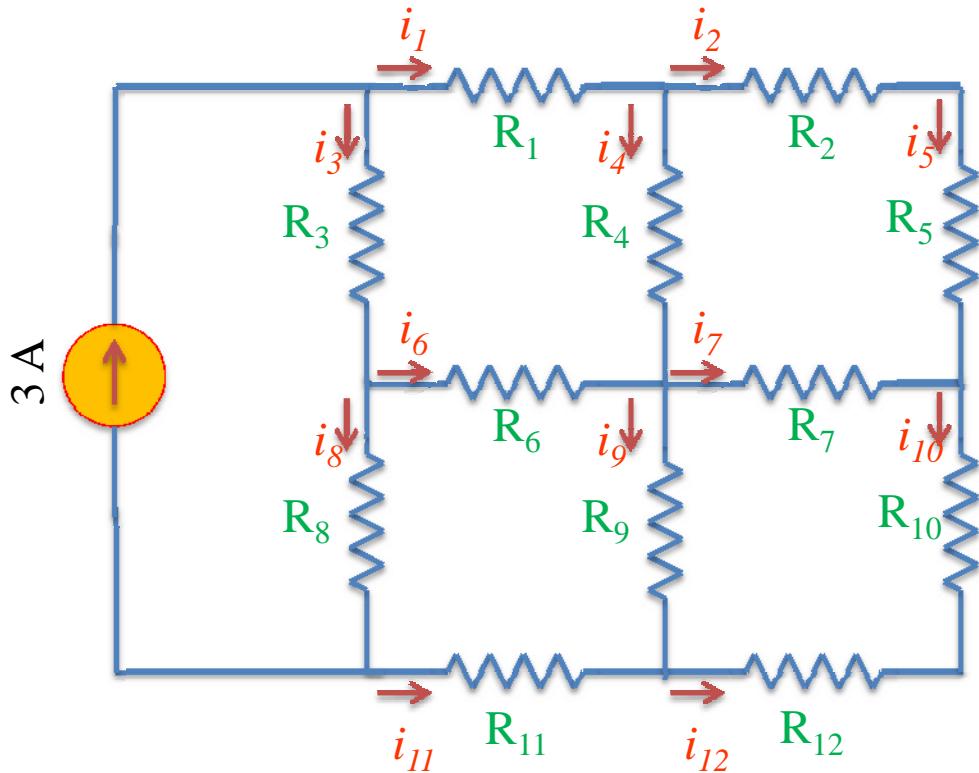


Label voltages as drops across resistors.

Typical notation:  
 $V_1$  is voltage drop across  $R_1$ .  
 $i_1$  is current through  $R_1$ .

# Same circuit: Nodal analysis

1. Define a reference node.
2. Label remaining nodes.
3. Apply KCL + ohm.



Typical notation:

i<sub>1</sub> is current through R<sub>1</sub>. (Same as before)

V<sub>1</sub> is voltage of node 1 relative to  
reference node. (Different from before)

## Kramer's rule

Solve for x,y,z in terms of known constants  $a_{1-3}$ ,  $b_{1-3}$ ,  $c_{1-3}$ ,  $d_{1-3}$ :

$$a_1x + b_1y + c_1z = d_1$$

$$a_2x + b_2y + c_2z = d_2$$

$$a_3x + b_3y + c_3z = d_3$$

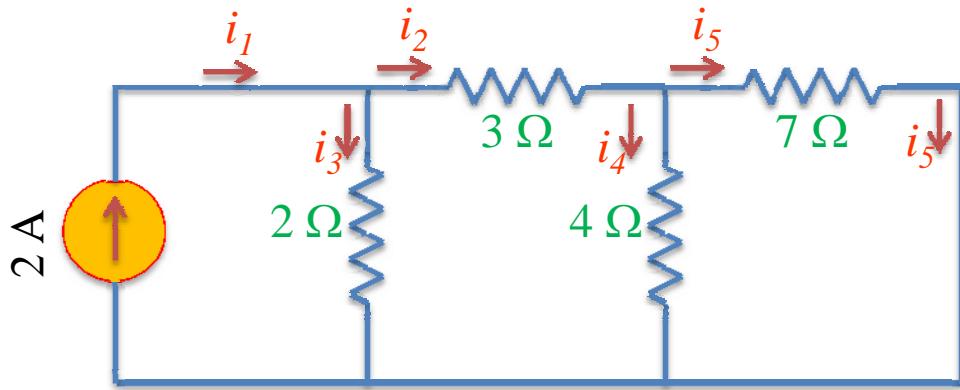
# Determinants:

Solve for x,y,z in terms of known constants  $a_{1-3}$ ,  $b_{1-3}$ ,  $c_{1-3}$ ,  $d_{1-3}$ :

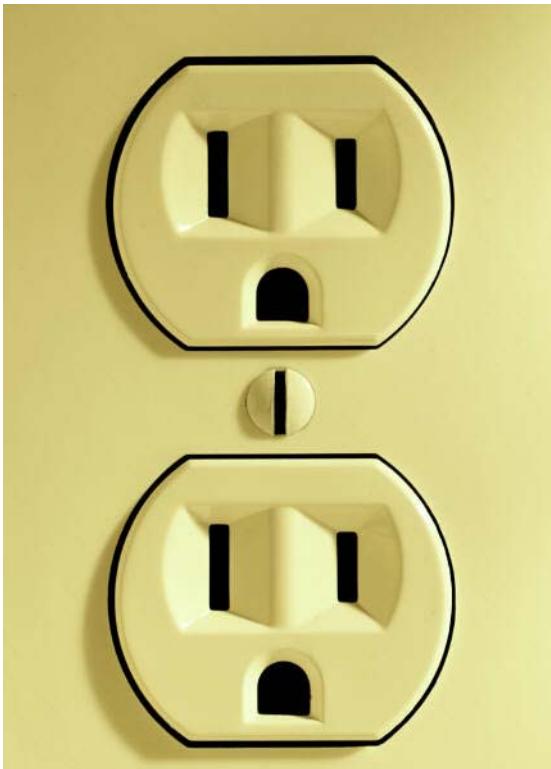
$$\begin{vmatrix} a & b \\ c & d \end{vmatrix} = ab - cd$$

$$\begin{vmatrix} a & b & c \\ d & e & f \\ g & h & i \end{vmatrix} = \dots$$

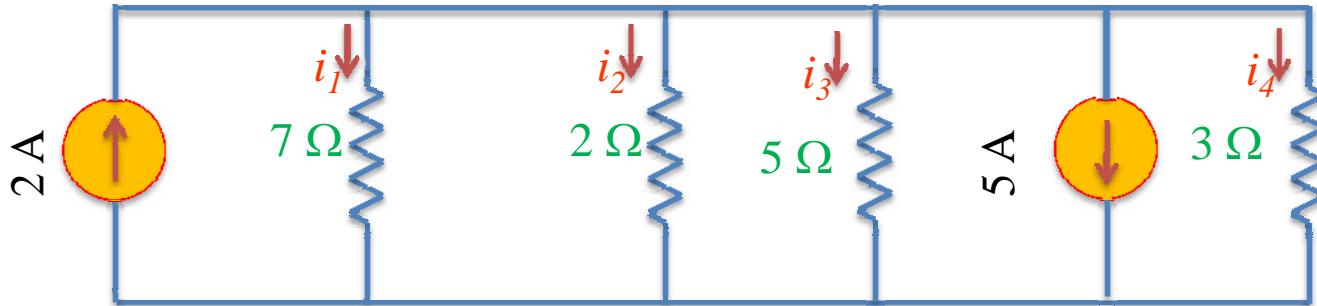
# Nodal analysis example



# Ground?



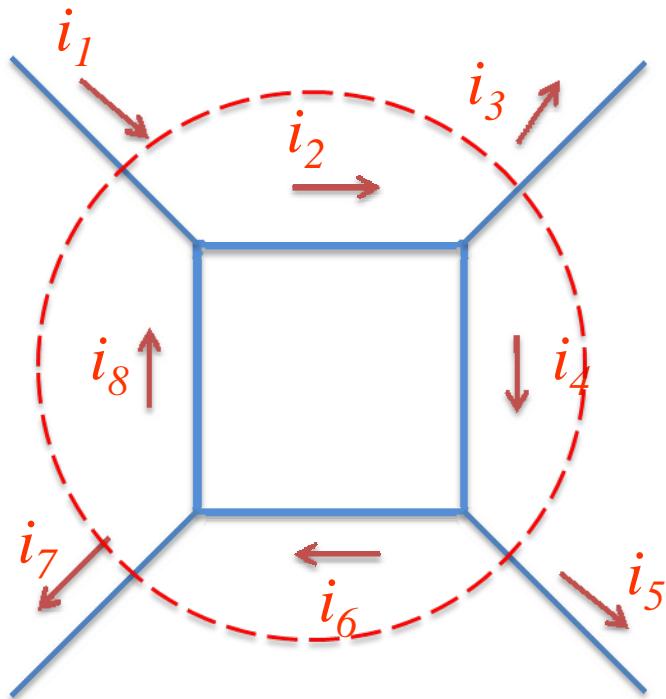
# Nodal analysis example



# Questions?

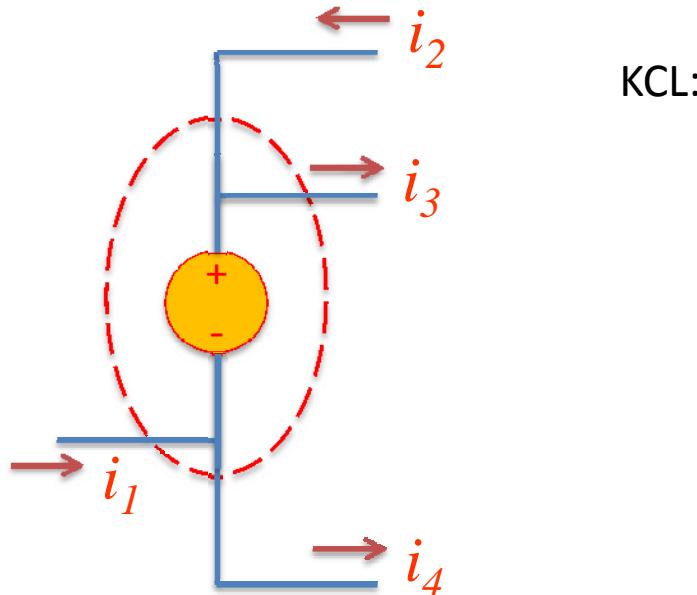
# KCL examples

From Lecture 3, Week 2: Find a relationship among  $i_1, i_2, i_3, i_4, \dots$



# “Supernode”

A node with a voltage source in it...

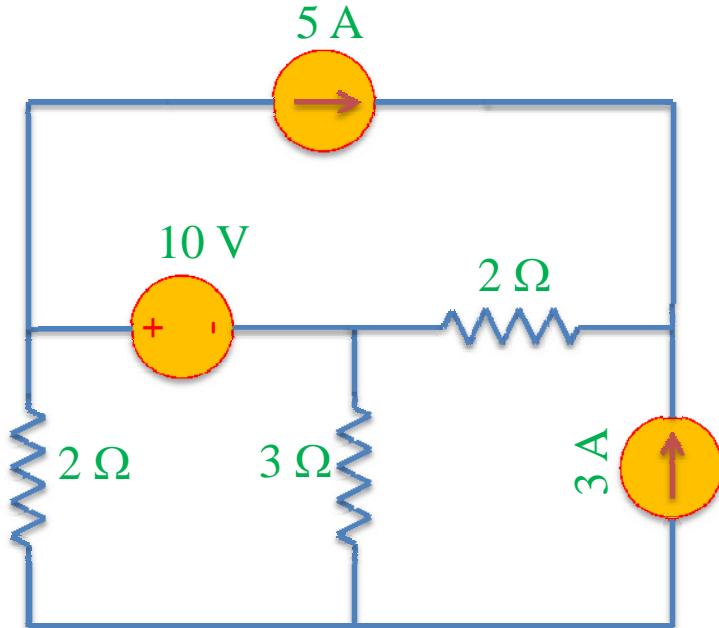


KCL:

Must define a supernode if a voltage source appears when doing nodal analysis...  
(unless one end of voltage source connected to reference node)

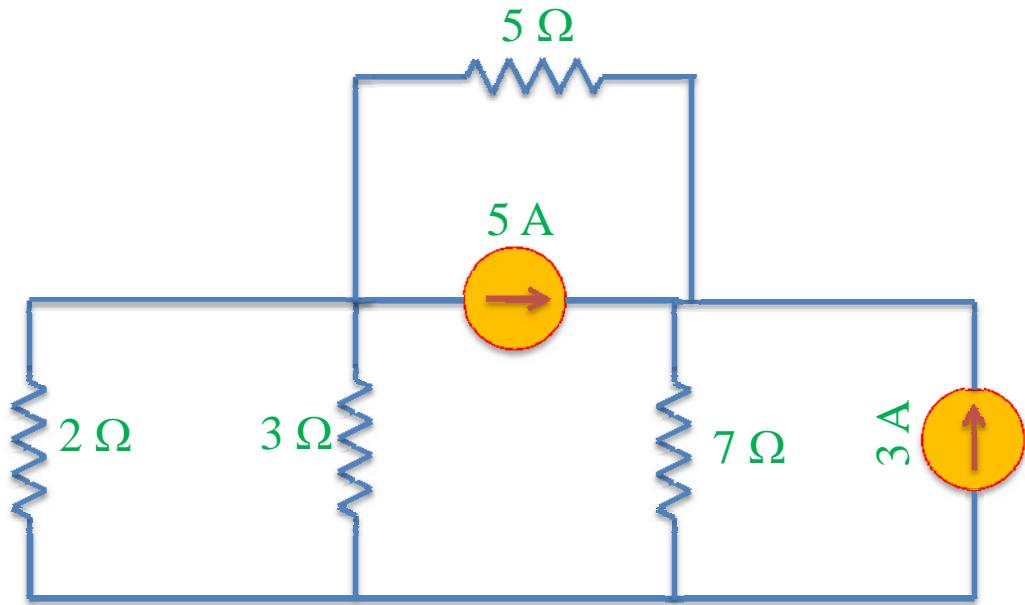
1. Define a reference node.
2. Label remaining nodes.
3. Apply KCL + ohm to all nodes **and supernodes**
4. **Apply KVL to loop with voltage source**

# Example nodal w/voltage source

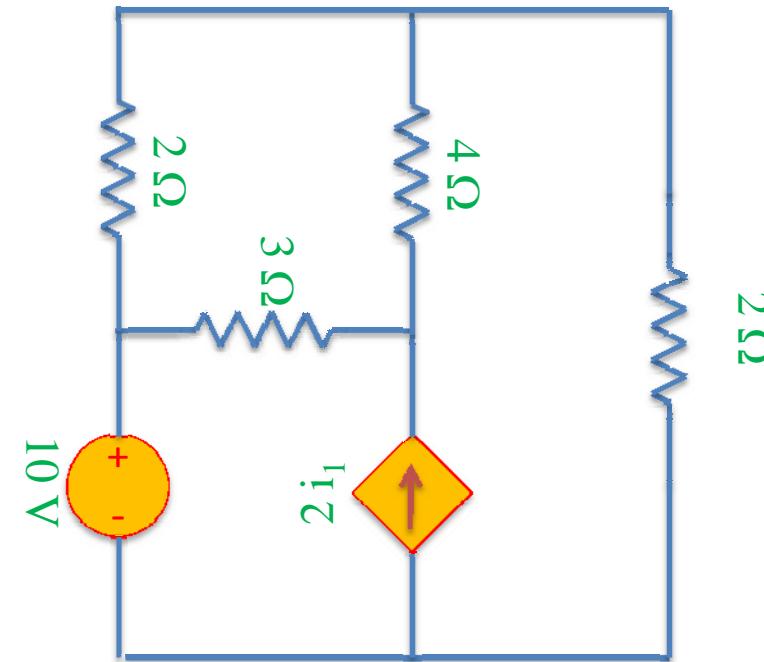


# Questions?

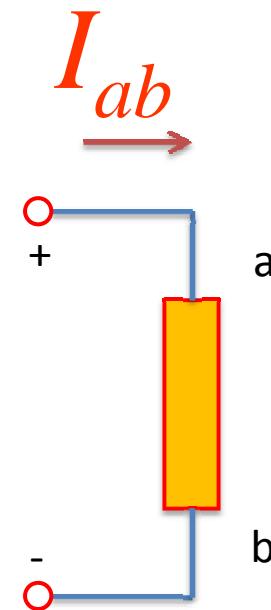
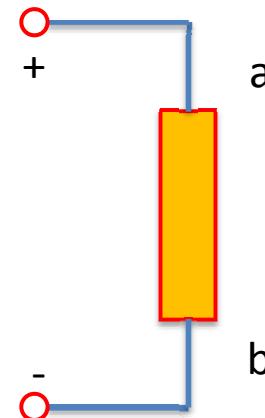
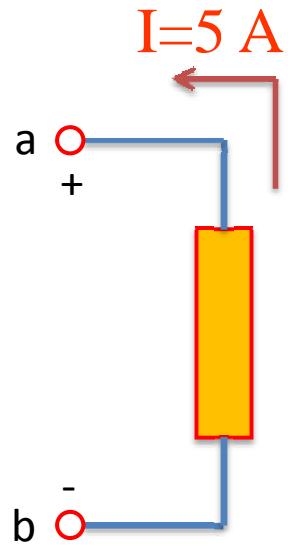
# Example nodal w/voltage source



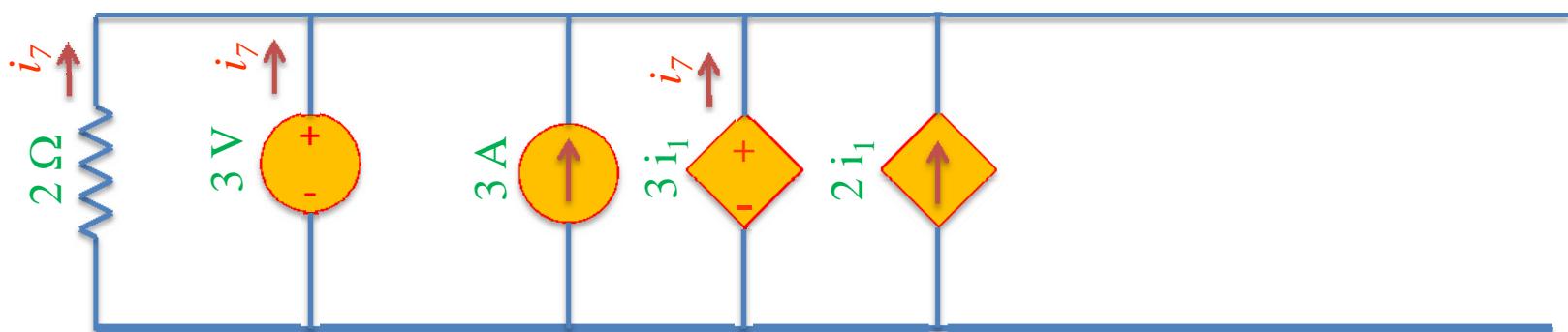
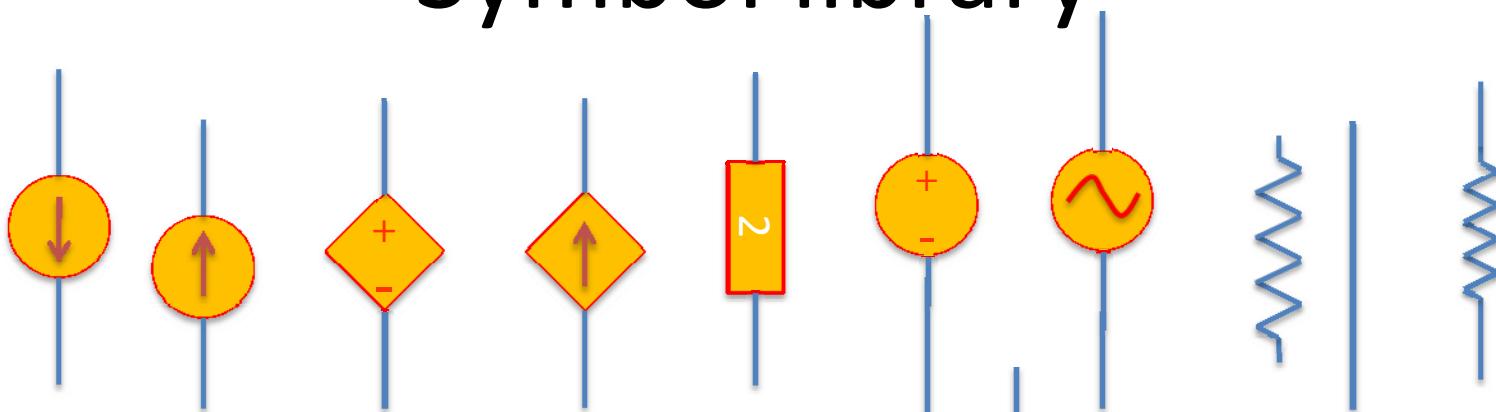
# Example nodal w/voltage source



# Symbol library



# Symbol library



# Symbol & circuit library

