## EECS / CSE 70A MIDTERM \#1

## GRADING RUBRIC

## Problem 1.

| Step | Points |
| :---: | :---: |
| Recognize/use/state $\mathrm{V}_{+}=\mathrm{V}$. (2pts.) and no current $\mathrm{i}_{+}=\mathrm{i} .=0$ (2pts.) | 4 |
| Finding $\mathrm{V}_{0}$ in terms of $\mathrm{V}_{1}$ and V . (Correct attempt 2pts. Result 2pts.) | 4 |
| Finding $\mathrm{V}_{+}$in terms of $\mathrm{V}_{2}$ (Correct attempt 2pts. Result 2pts.) | 4 |
| Find $\mathrm{V}_{0}$ in terms of $\mathrm{V}_{1}$ and $\mathrm{V}_{2}$ | 3 |
| Total for part (a) 15pts |  |
| Substitute $\mathrm{V}_{1}$ and $\mathrm{V}_{2}$ values in $\mathrm{V}_{0}$ | 2 |
| Find $\mathrm{i}_{1}$ (Correct expression 2pts. Correct value 1pt) | 3 |
| Find $\mathrm{i}_{2}$ (Correct expression 2pts. Correct value 1pt) | 3 |
| Total for part (b) 8pts |  |
| Units (Initial equations 1pt. Final results 1pt.) | 2 |
| Total | 25 |

## Problem 2.

| Step | Points |
| :---: | :---: |
| Recognize that the inductor is short circuit at $\mathrm{t}=0^{-}$ | 2 |
| Recognize that $12 \Omega$ is short circuited at $\mathrm{t}=0^{-}$ | 2 |
| Find $\mathrm{L}_{\mathrm{L}}\left(\mathrm{t}=0^{-}\right) \quad$ (Correct expression 2pts, result 1pt.) | 3 |
| Total for steps regarding t $=0^{-} 7 \mathrm{pts}$ |  |
| For transient period, writing the correct time constant equation | 2 |
| After switch is open, using/recognizing correct resistance | 2 |
| Finding the correct time constant value | 2 |
| Total for steps regarding transient period 6pts |  |
| Recognize source free discharge or <br> Reason justify $\mathrm{i}_{\mathrm{L}}(\infty)=0$ | 2 |
| Give the generic formula for $\mathrm{i}_{L}(\mathrm{t})$ when $\mathrm{t}>0$ | 2 |
| Correct final result for $\mathrm{i}_{\mathrm{L}}(\mathrm{t})$ (If the numbers are wrong due to a mistake in previous steps, still given 1 pt ) | 2 |
| Total for steps regarding $\mathrm{i}_{L}(\mathrm{t}) \quad 6 \mathrm{pts}$ |  |
| Attempt calculating $\mathrm{v}_{\mathrm{L}}$ using $\mathrm{i}_{\mathrm{L}}$ and/or recognize $\mathrm{v}_{\mathrm{L}}(\infty)=0$ | 2 |
| Use $\mathrm{V}_{\mathrm{L}}=\mathrm{L}$ di $\mathrm{V}^{\prime} \mathrm{dt}$, or $\mathrm{v}_{\mathrm{L}}=(-1 / \mathrm{T}) \mathrm{L} \mathrm{i}_{\mathrm{L}}$ | 1 |
| Formula for $\mathrm{v}_{\mathrm{L}}(\mathrm{t})$ | 1 |
| Final correct result for $\mathrm{v}_{\mathrm{L}}(\mathrm{t})$ | 1 |
| Total for steps regarding $\mathrm{v}_{\mathrm{L}}(\mathrm{t}) \quad 5 \mathrm{pts}$ |  |
| Units | 1 |
| Total | 25 |

## Problem 3.

Approach 1: First finding V, then I

| Step | Points |
| :--- | :---: |
| Finding the source voltage phasor $\mathrm{V}_{\mathrm{s}}$ | 3 |
| Impedance terms $(\mathrm{R} \mathrm{\&} \mathrm{j} \mathrm{\omega L)}$ | 3 |
| Voltage division expression $\mathrm{V}=(\mathrm{j} \omega \mathrm{L} /(\mathrm{R}+\mathrm{j} \omega \mathrm{L})) \mathrm{V}_{\mathrm{s}}$ | 3 |
| Some simplifications/manipulations toward polar/exponential or <br> rectangular/Cartesian form for V | 4 |
| Arriving at a polar/exponential or rectangular/Cartesian form | 2 |
| Correct final expression for the phasor V (answer to part (a)) | 1 |
| Applying Ohm's law I = V/Z | 2 |
| Some simplifications/manipulations toward polar/exponential or <br> rectangular/Cartesian form for I | 4 |
| Arriving at a polar/exponential or rectangular/Cartesian form | 2 |
| Correct final expression for the phasor I (answer to part (b)) | 1 |
|  | 25 |

Approach 2: First finding I, then V

| Step | Points |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| Finding the source voltage phasor $\mathrm{V}_{\mathrm{s}}$ | 3 |  |  |  |
| Impedance terms (R \& jwL) | 3 |  |  |  |
| Equivalent impedance $\mathrm{Z}_{\text {eq }}=\mathrm{R}+\mathrm{j} \omega \mathrm{L}$ (series combination) | 1 |  |  |  |
| Applying Ohm's law I = $\mathrm{V}_{\mathrm{s}} / \mathrm{Z}_{\text {eq }}$ | 2 |  |  |  |
| Some simplifications/manipulations toward polar/exponential or <br> rectangular/Cartesian form for I | 4 |  |  |  |
| Arriving at a polar/exponential or rectangular/Cartesian form | 2 |  |  |  |
| Correct final expression for the phasor I (answer to part (b)) | 1 |  |  |  |
| Applying Ohm's law V = $\mathrm{Z}_{\mathrm{L}}$ | 2 |  |  |  |
| Some simplifications/manipulations toward polar/exponential or <br> rectangular/Cartesian form for V | 4 |  |  |  |
| Arriving at a polar/exponential or rectangular/Cartesian form | 2 |  |  |  |
| Correct final expression for the phasor V (answer to part (a)) | 1 |  |  |  |
| Total |  |  |  | 25 |

## Problem 4.

| Step | Points |
| :--- | :---: |
| Impedance of capacitor $=1 /(\mathrm{j} \omega \mathrm{C}) \quad$ | 3 |
| Impedance of inductor $=$ j $\omega \mathrm{L}$ | 3 |
| Equivalent impedance expression for series combination <br> $Z_{\text {eq }}(\omega)=\mathrm{R}+1 /(\mathrm{j} \omega \mathrm{C})+\mathrm{j} \omega \mathrm{L}$ | 4 |
| Simplifications/manipulations toward $\mathrm{x}+\mathrm{jy}$ form | 3 |
| Arriving at an $x+$ jy form | 2 |
| Correct value of $\mathrm{x}($ answer to part $(\mathrm{b}))$ | 1 |
| Correct value of $y($ answer to part $(\mathrm{c}))$ | 1 |
| Equating the imaginary part to zero, $\operatorname{Im}\left(Z_{\text {eq }}(\omega)\right)=0$ | 3 |
| Obtaining some equation equivalent to $\omega=1 / \sqrt{ }(\mathrm{LC})=\sqrt{ }\left(10^{6} / 4\right)$ | 3 |
| Calculating numerical value of $\omega, 500$ | 1 |
| Correct unit of $\omega$, rad/s | 1 |
|  | 25 |

